- Find permutation, combination, factorials.
- (1) Calculate 12!

type 12 (in the run screen) — MATH—PRB—-CHOOSE No.4 !—-ENTER(brings you back to the run screen)—-ENTER—479001600

- (2) Calculate P₅¹²
 type 12—MATH–PRB–choose No. 2: nPr—ENTER(go back to the run screen)—
 type 5—ENTER—95040
- (3) Calculate

$$\left(\begin{array}{c} 12\\5 \end{array}\right) = \frac{12!}{5!(12-5)!}$$

type 12—MATH–PRB–choose No. 3: nCr—ENTER(go back to the run screen)—type 5—ENTER—792

- Probability Distributions
- (1) Binomial pmf

 $X \sim Bin(n, p)$ binompdf(n, p, x) = $\binom{n}{x} p^{x}(1-p)^{n-x}$.

- (2) Binomial cdf $binomcdf(n, p, x) = P(X \le x)$ Example: $X \sim Bin(10, .1)$, want to find $P(X \le 3) = \sum_{x=0}^{x=3} {10 \choose x} .1^x .9^{10-x}$. 2nd+distr-A:binomcdf-ENTER-binompdf(10, .1, 3)-...9872
- (3) Similarly, you can calculate pmf and cdf for geometric, poisson distributions. geometpdf(p, x) geometcdf(p, x) poissonpdf(λ, x) poissoncdf(λ, x)
 - Standard Normal Distribution N(0, 1)
- (1) Find probability $P(Z \le x)$ Example: $P(Z \le 1.96) = .975$. 2nd+distr—2:normalcdf(-1E99,1.96) (Note, to enter -1E -1 2nd , 99) Example: $P(-1.96 \le Z \le 1.96) = .95$ 2nd+distr—2:normalcdf(-1.96,1.96)

(2) Find Z value

Example: want to find Z such that $P(Z \le z) = .975$ 2nd+distr-3: invNorm (.975) = 1.96

• Draw Histogram

Click stat–edit–enter test 2 score under L1, enter 1's under L2. Go back to the screen, click 2nd stat plot—enter—choose type as histrogram, should be the third one—click graph (note, if it doesn't work, you may need to check your window's setting, for our problem, you can set x from 30 to 100, y from 0 to 10)

- t distribution
- (1) Find Critical Value

Example: $t_{(\alpha/2,df=n-1)} = t_{(.05/2,47-1)} = 2.01$ MATH—0:solver-eqn:0=.025-2nd+distr—6:tcdf(x,1E99,46)—-enter—ALPHA+SOLVE

(2) Find P-value

Example: two sided test with degrees of freedom 46, $t_0 = 2.01$, P-value= $2P(t > 2.01) = 2(1 - P(t \le 2.01))$. As we can see from previous example, the P-value should be equal to .05. 2(2nd+distr—6:tcdf(2.01,1E99,46))